

Topics

- Introduction
- Types
- General Transmission-Line Equations
- Wave Characteristics on Finite
 Transmission Lines
- Waveguides
- Optical Fiber

Transmission Lines

- Used for guiding electromagnetic (EM) waves
- Point-to-point "guided" transmission of power and information from "source" to "receiver", e.g., data signal. (unguided=antenna)
- Transverse EM (TEM) waves applied to most transmission lines except waveguides.
- TEM waves -> uniform plane waves

Types classified by materials

- Metallic Transmission Lines (Conductor)
- Hollow or Dielectric-filled Waveguides
 (Conductor and dielectric)
- Optical Fiber (dielectric)

Transmission Lines

- Two fundamental types
- Low Frequency
 used for power transmission
- High Frequency

 used for RF transmission

"wavelengths are shorter than or comparable to the length of cable"

Note - transmission line = conductor - but only use "surface"

Types of Metallic Transmission Lines

- Parallel Line
- Twisted Pair (Shielded & Unshielded)
- Coaxial
- Microstrips
- Strip Line



Parallel Line (aka Ribbon Cable)

- Simple Construction
- Used primarily for power lines, rural telephone lines or TV antenna cable
- Freq up to 200MHz over short distances
- High Radiation Loss
 - moving current = Ae
- need to be aware of other metallic conductors





Twisted Pair

- Twists tend to cancel radiation loss
- Helps reduce crosstalk
- Still fairly inexpensive
- Frequency < 100MHz
- Generally short distances
- analog ~5-6 km
- digital ~2-3 km
- Note power line interference

UTP 4 pair terminating in RJ45 100MHz max frequency 1000 Mbps transmit rate Aside: Wire Gauge (smaller is bigger)



Coaxial Cable

- Geometry creates a "shielded" system
 no EM energy outside the cable
- Can support frequencies > 100MHz
- Can support data rates > 1GHz
- Low self-inductance allows greater BW
- Used for long-distance telephone trunks, urban networks, TV cables
- Expensive + must keep dielectric dry



Discrostrips • Used for very high frequencies in semiconductors T



Transmission Theory • Current and Voltage change with time along the line (the signal) – superposition of waves in both directions – but over short distances (< λ) are constant • Energy is lost (heat - resistance) or stored (magnetic - inductance) / (capacitive - capacitance) v = Ri $v = L \frac{di}{dt}$ $i = C \frac{dv}{dt}$

= Attenuation Losses

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Transmission Line Model



Transmission Line Model (cont'd) L-type Equivalent Circuit Model of a differential length Δz of a



Transmission Line Model (cont'd)



$$-\frac{\partial V(z,t)}{\partial z} = RI(z,t) + L\frac{\partial I(z,t)}{\partial t} \qquad (1$$

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Transmission Line Model (cont'd)

To get another equation relating *G* and *C* we apply Kirchhoff's current law on the circuit and get:

or

$$I(z,t) = G\Delta z V(z + \Delta z, t) + C\Delta z \frac{\partial V(z + \Delta z, t)}{\partial t} + I(z + \Delta z, t)$$

$$-\frac{I(z + \Delta z, t) - I(z, t)}{\Delta z} = GV(z + \Delta z, t) + C\frac{\partial V(z + \Delta z, t)}{\partial t}$$

letting $\Delta z \rightarrow 0$ in this equation also we get:

$$-\frac{\partial I(z,t)}{\partial z} = GV(z,t) + C\frac{\partial V(z,t)}{\partial t}$$
(2)

(1),(2) : General Transmission-line Equations



Wave equations & solutions By combining (3) and (4): $\frac{d^2V_s}{dz^2} = \gamma^2 V_s \quad (5) \qquad \frac{d^2I_s}{dz^2} = \gamma^2 I_s \quad (6)$ where γ is the propagation constant: $\gamma = \alpha + j\beta = \sqrt{(R + j\alpha L)(G + j\alpha C)} = \sqrt{\hat{Z}\hat{Y}} \quad \text{(a: attenuation constant} \\ \beta: \text{ phase constant} \\ \beta: \text{ phase constant} \\ The general solution of (5), (6) \\ V_s(z) = V^+(z) + V^-(z) = V_0^+ e^{-\gamma z} + V_0^- e^{\gamma z} \quad (7) \\ I_s(z) = I^+(z) + I^-(z) = I_0^+ e^{-\gamma z} + I_0^- e^{\gamma z} \quad (8) \\ Z_0 = \frac{V_0^+}{I_0^+} = -\frac{V_0^-}{I_0^-} = \frac{\hat{Z}}{\gamma} = \sqrt{\frac{\hat{Z}}{\hat{Y}}} = \sqrt{\frac{R + j\alpha L}{G + j\alpha C}} \quad \text{(Characteristic} \\ \text{Impedance} \end{bmatrix}$

Special Cases

Lossless Line (*R*=0,*G*=0)

$$\gamma = j\beta = j\omega\sqrt{LC}; \alpha = 0$$
$$u_p = \omega/\beta = 1/\sqrt{LC}; Z_0 = \sqrt{L/C}$$

Distortionless Line (R/L,G/C)

$$\begin{split} \gamma &= \alpha + j\beta = \sqrt{(R + j\omega L)(RC/L + j\omega C)} \\ &= \sqrt{C/L}(R + j\omega L); \\ \alpha &= R\sqrt{C/L}; \beta = \omega\sqrt{LC} \\ u_p &= \omega/\beta = 1/\sqrt{LC}; Z_0 = \sqrt{L/C} \end{split}$$

In an infinitely long line there are only forward travelling waves and no reflected waves. The second term in (7) and (8) will be zero. This is however also true for a line terminated with its characteristic impedance. A line is called a matched line when the load impedance is equal to the characteristic impedance. If we consider a line with the characteristic impedance Z_0 , a propagation constant γ and with the length *l* terminated with a load impedance Z_L connected to a sinusoidal voltage source, and then the voltage and current distribution on the line can be calculated as:

$$V(z) = V_0^+ e^{-\gamma z} + V_0^- e^{\gamma z}; I(z) = I_0^+ e^{-\gamma z} + I_0^- e^{\gamma z}$$
$$Z_0 = \frac{V_0^+}{I_0^+} = -\frac{V_0^-}{I_0^-}$$

Finite Transmission Lines (2)





Finite Transmission Lines (4)

$$V(z') = \frac{I_{L}}{2} [(Z_{L} + Z_{0})e^{zz'} + (Z_{L} - Z_{0})e^{-zz'}];$$

$$I(z') = \frac{I_{L}}{2Z_{0}} [(Z_{L} + Z_{0})e^{zz'} - (Z_{L} - Z_{0})e^{-zz'}]; z' = l - z$$

$$V(z') = I_{L} [Z_{L} \cosh \gamma z' + Z_{0} \sinh \gamma z'];$$

$$I(z') = \frac{I_{L}}{Z_{0}} [Z_{L} \sinh \gamma z' + Z_{0} \cosh \gamma z']$$

Finite Transmission Lines (5)

$$Z(z') = Z_0 \frac{Z_L + Z_0 \tanh \gamma z'}{Z_0 + Z_L \tanh \gamma z'}$$
Input Impedance:

$$Z_{in} = Z(z'=l) = Z_0 \frac{Z_L + Z_0 \tanh \gamma l}{Z_0 + Z_L \tanh \gamma l}$$
Lossless case:

$$Z_{in} = Z_0 \frac{Z_L + jZ_0 \tan \beta l}{Z_0 + jZ_L \tan \beta l}$$
Matched load if $Z_L = Z_0$









Waveguides

- · Uses a different transmission method
- "Ducting" not "conducting"
- >1GHz
- Expensive
- May need to be filled
- Cannot turn sharp corners
- Any defects will cause significant attenuation (sparking)

Optical Fiber



Can be considered "circular waveguides"



History of Fiber optics

- During 1930, other ideas were developed with this fiber optic such as transmitting images through a fiber.
- During the 1960s, Lasers were introduced as efficient light sources
 In 1970s All glass fibers experienced excessive optical loss, the loss of the light signal as it traveled the fiber limiting transmission distance.
- This motivated the scientists to develop glass fibers that include a separating glass coating. The innermost region was used to transmit the light, while the glass coating prevented the light from leaking out of the core by reflecting the light within the boundaries of the core.
- Today, you can find fiber optics used in variety of applications such as medical environment to the broadcasting industry. It is used to transmit voice, television, images and data signals through small flexible threads of glass or plastic.







Detectors



The advantages of fiber optic over wire cable

- Thinner
- Higher carrying capacity
- · Less signal degradation
- Light signal
- Low power
- Flexible
- Non-flammable
- Lightweight

Disadvantage of fiber optic over copper wire cable

- Optical fiber is more expensive per meter than copper
- Optical fiber can not be join together as easily as copper cable. It requires training and expensive splicing and measurement equipment.





Total internal Reflection









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